BIBLIOGRAFIA

[1] S.BANACH, *Théorie des opérations linéaires,* Monografje Matematiczne, Warsaw, 1932.

[2] K.BORSUK, Über die Isomorphic der Funktionalraume, *Bull. Int. Acad. Pol. Sci.*1933,1-10.

[3] N.BOURBAKI, *Espaces vectoriels topologiques,* Hermann, Act.Sci. et Ind. Voll.1189, 1229, Paris, 1953,1955.

[4] M.DE WILDE, *Closed Graph Theorems and Webbed Spaces,* Pitman, London, 1978.

[5] J.DIEUDONNÉ, Sur les propriétés de permanence de certains espaces vectoriels topologiques, *Ann.Soc.Polon.Math.* 25(1952), 50-55

[6] J.DIEUDONNÉ-L.SCHWARTZ, La dualité dans les espaces $(\mathscr{F})$ et $(\mathscr{L}\mathscr{F})$, *Ann.Inst. Fourier* 1(1949), 61-101.

[7] N.DUNFORD-J.T.SCHWARTZ, *Linear Operators,* Part. I: General Theory, Interscience, New York, 1958.

[8] M.EIDELHEIT, Zur Theorie der Systeme linearer Gleichungen, *Studia Math.* 6 (1936), 139-148.

[9] A.GROTHENDIECK, *Produits tensoriels topologiques et espaces nucléaires,* Mem.Amer.Math.Soc. 16(1955).

[10] H.JARCHOW, *Locally Convex Spaces,* Teubner, Stuttgart, 1981.

[11] Y.KOMURA, On Linear Topological Spaces, *Kumamoto J. Sciences* 5(A)(1962), 148-157.

[12] G.KÖTHE, *Topological Vector Spaces,* Vol.I e II, Springer, Berlin-Heidelberg-New York, 1969 e 1979.

[13] G.KÖTHE, Uber zwei Satze von Banach, *Math. Z.* 53(1950) 203-209

[14] J.LINDENSTRAUSS-L.TZAFRIRI, *Classical Banach Spaces,* vol.I (Sequence Spaces) e vol.II (Function Spaces), Springer,Berlin-Heidelberg-New York, 1977 e 1979.

[15] M.MAHOWALD, Barreled Spaces and the Closed Graph Theorem, *J.London Math. Soc.* 36(1961), 108-110.

[16] B.S.MITJAGIN, Approximate Dimension and Bases in Nuclear Spaces, *Usp.Mat.Nauk.* 16(1961),73-132 (in russo); Traduzione in inglese in *Russian Math. Surveys* 16(1961), 59-127.

[17] V.B.MOSCATELLI, Sur une classe d'espaces localement convexes B-complètes, *C.R.Acad.Sc.Paris* Sér.A, 276(1973), 1205-1208.

[18] Z.OGRODZKA, On Simoultaneous extension of infinitely differentiable functions, *Studia Math.* 28(1967), 193-207.

[19] A.PEŁCZYNSKI,Projections in Certain Banach Spaces, *Studia Math.* 19(1960), 209-228.

[20] A.PIETSCH, Zur Theorie der Topologischen Tensorprodukte, *Math. Nachr.* 25(1963) 19-31.

[21] V.PTAK, On Complete Topological Vector Spaces, *Czech.Math.J.* 78(1953), 301-364 (in russo).

[22] V.PTAK, Completeness and the Open Mapping Theorem, *Bull.Soc.Math. France* 86(1958), 41-74.

[23] A.P.ROBERTSON-W.J.ROBERTSON, On the Closed Graph Theorem, *Proc. Glasgow Math. Ass.* 3(1956), 9-12.

[24] W.J.ROBERTSON, On the Closed Graph Theorem and Spaces with Webs, *Proc. London Math. Soc.* 24(1972), 692-738.

[25] W.H.RUCKLE, *Sequence Spaces,* Pitman, London, 1981.

[26] H.SCHAEFER, *Topological Vector Spaces,* Springer,Berlin Heidelberg -New York, 1971.

[27] R.SCHATTEN, *A Theory of Cross-Spaces,*Princeton,U.P.,Princeton,1950.

[28] R.T.SEELEY, Extension of C^∞ Functions Defined in a Half-Space, *Proc.Amer.Math.Soc.* 15(1964), 625-626.

[29] O.G.SMOLJANOV, The Space $\mathscr{D}$ is not Hereditarily Complete, *Izv. Akad. Nauk SSSR* Ser.Mat. 35(1971), 686-696 (in russo). Traduzione in inglese in *Math. USSR Izv.* 5(1971), 696-710.

[30] M.VALDIVIA,El teorema general de la gráfica cerrada en los espacios vectoriales localment convexos, *Rev.Real.Acad.Cienc.Madrid* 52 (1968), 553-562.

[31] M.VALDIVIA, Sobre el teorema de la grafica cerrada, *Collecta nea Math.* 27(1971), 51-72.

[32] M.VALDIVIA, The Space of Distributions $\mathscr{D}'(\Omega)$ is not B_r-Complete, *Math. Ann.* 21(1974), 145-149.

[33] M.VALDIVIA, On B_r-Completeness, *Ann.Inst. Fourier* 25(1975), 235-245.

[34] M.VALDIVIA, On Countable Locally Convex Direct Sums, *Arch.Math.* 26(1975), 407-413.

[35] M.VALDIVIA, The Space $\mathscr{D}(\Omega)$ is not B_r-Complete, *Ann.Inst.Fourier* 27(1977), 29-43.

[36] M.VALDIVIA, Representaciones de los espacios $\mathscr{D}(\Omega)$ y $\mathscr{D}'(\Omega)$ *Rev. Real. Acad.Cienc.Madrid* 72(1978),570-571.

[37] M.VALDIVIA, Sobre ciertos espacios de funciones continuas, *Rev.Real. Acad.Cienc. Madrid* 73(1979), 485-490.

[38] M.VALDIVIA, Espacios de medidas de Radon, *Rev.Real.Acad.Cienc. Madrid* 74(1980), 91-98.

[39] M.VALDIVIA, A Representation of the Space $\mathscr{D}(K)$, *J.Reine Angew. Math.* 320(1980), 97-98.

[40] M.VALDIVIA, *Topics in Locally Convex Spaces,* North-Holland Amsterdam-New York-Oxford, 1982.

[41] M.VALDIVIA, B_r-Complete Spaces which are not B-Complete, *Math.z.* 185(1984), 253-259.

[42] M.VALDIVIA, On Slowikowski, Raikov and De Wilde Closed Graph Theorems, preprint.

[43] D.VOGT, Subspaces and Quotient Spaces of (s), in *Functional Analysis. Surveys and Recent Results* (eds: K.D.Bierstedt and Fuchsteiner), North-Holland, Amsterdam-New York-Oxford, 1977, pp.167-187.

[44] D.VOGT, Sequence Spaces Representations of Spaces of Test Functions and Distributions, in *Functional Analysis,Holomorphy and Approximation Theory* (ed. G.I.Zapata), Marcel Dekker Inc. New York, 1983, pp.405-443.

|46| H.WHITNEY, Analytic Extension of Differentiable Functions
Defined in the Closed Sets, *Trans.Am.Math.Soc.*36(1934),
63-89.